

# Rolling Horizon Planning Methods in Long-Term Energy System Analysis MILP Models

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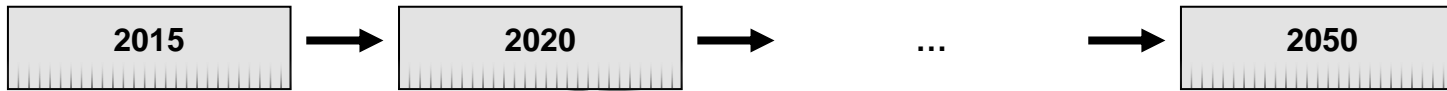
# Agenda

- Background and motivation
- Methodological approach for urban energy system modeling
- Temporal decomposition methods
- Computational results
- Critical reflection
- Conclusions and outlook

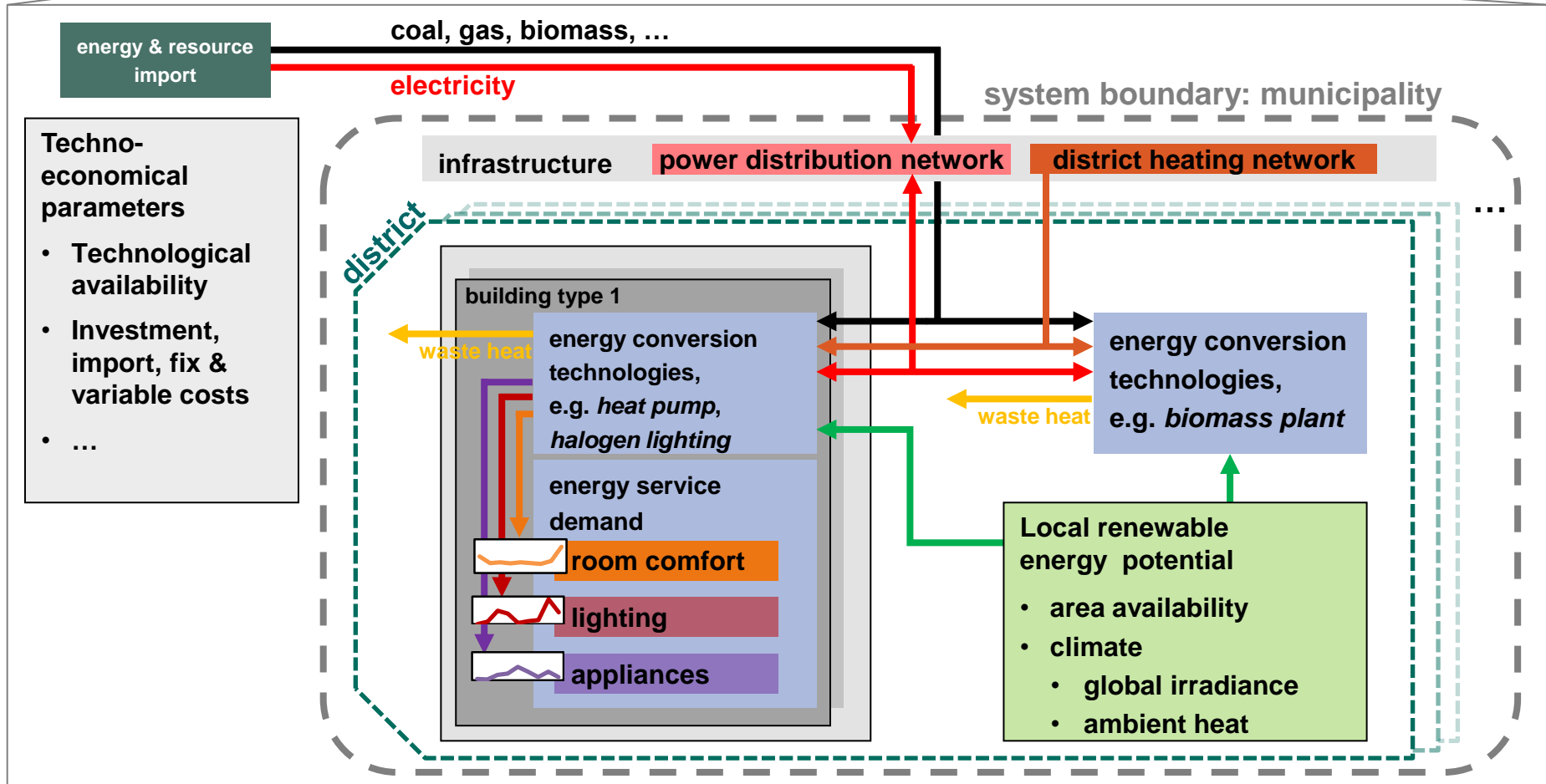
# Background and motivation

- optimizing decision support tools that can cope with complexity are required
  - complex interactions between energy carriers and technologies in energy systems
- growing significance of regional/urban modeling
  - decentralized generation from renewable energies (RE)
  - local stakeholders get involved in energy-related topics
  - provision of heat in buildings accounts for a large share of energy demand
- complexity of (urban) energy system models is increasing
  - high spatial and temporal resolutions are needed for meaningful results
  - local renewable energy potentials have to be considered
  - large number of technologies: RE, heat, supply & demand side technologies, ...
- computational time of MILP can grow exponentially with number of variables
- speed can be increased by compromising solution quality
  - reducing details
  - applying heuristics
- How can the computational speed for solving optimizing urban energy system models be increased without compromising the solution quality?

# Methodological approach: optimizing energy and material flow model



8 model years,  
72 time slices



# Methodological approach: optimizing energy and material flow model

- objective function: minimization of all decision relevant system expenditures, discounted to base year

$$\min \sum_{my \in \text{YEARS}} \left( \alpha_{my} * N_{my} * \left( \begin{array}{l} \text{ImportFlowsCosts}_{my} \\ + \text{TransmissionGridCosts}_{my} \\ + \text{IntermediaryFlowsCosts}_{my} \\ + \text{UnitsInvestmentAnnuities}_{my} \\ + \text{UnitsFixCosts}_{my} \\ + \text{ProcessActivitiesVarCosts}_{my} \\ + \text{EmissionsCosts}_{my} \\ + \text{LandUseCosts}_{my} \\ + \text{LocalSourcingCosts}_{my} \end{array} \right) \right)$$

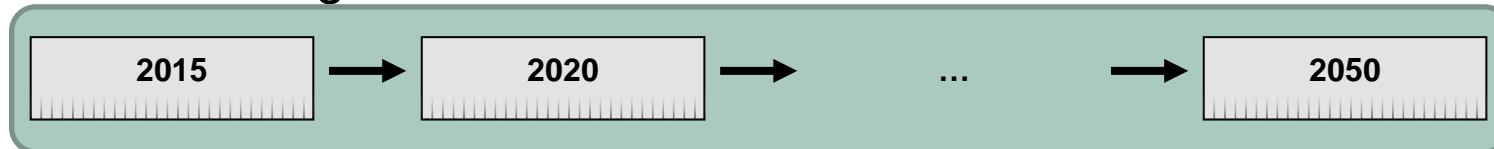
- constraints
  - energy balance
  - flow restrictions
  - land use constraints
  - emission restrictions
  - ...

# Methodological approach: optimizing energy and material flow model

- parameters
  - energy service demand
  - fuel & technology prices
  - technological characteristics (conversion efficiency, emissions, ...)
  - infrastructure
  - renewable energy potentials
  - technologies in stock
- decision variables
  - unit commitment for each time slice
  - yearly investment decisions (binary)
- model size (reduced form):
  - 1.9 million equations, 1.8 million variables, 19,200 binaries
- implemented in GAMS, solved with CPLEX
- run on 64 bit machine, 11 Threads @ 3.5 GHz, 128 GB DDR3 RAM

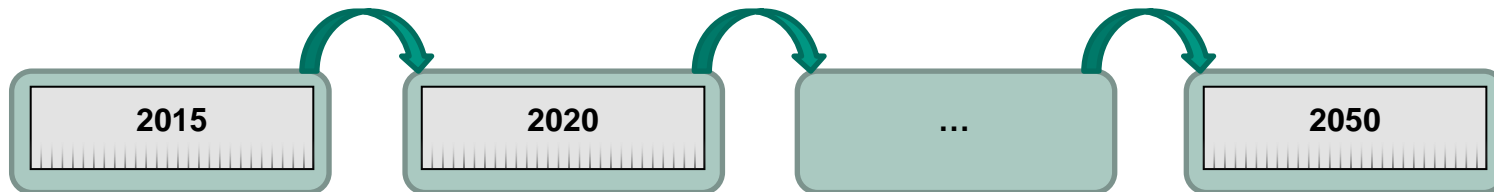
# Temporal decomposition in energy system models

## ■ Perfect foresight



- result: globally optimal pathway for all investment & unit commitment to cope with the given development (e.g. fuel prices)
- exponential growth of solution space with number of variables

## ■ Myopic approaches (e.g. Babrowski et al. 2014)

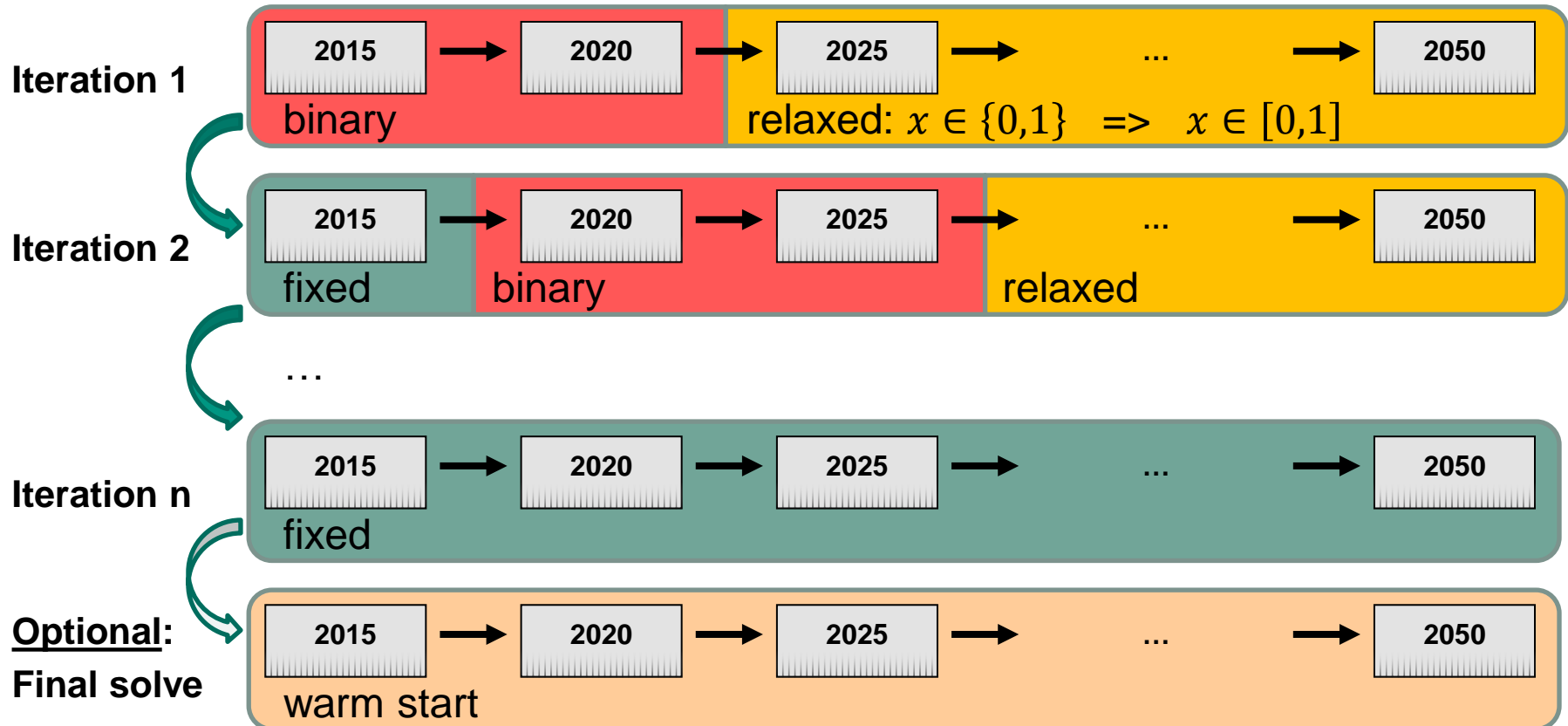


**Each year's optimal investment planning is passed over to the next year**

- result: combination of each single year's optimal decisions
- large reduction of complexity (about 90% less computational time)
- blind for future developments: forecasts not considered
- setting targets (e.g. -80% CO<sub>2</sub> in 2050) is not possible
- tendency towards postponing investments

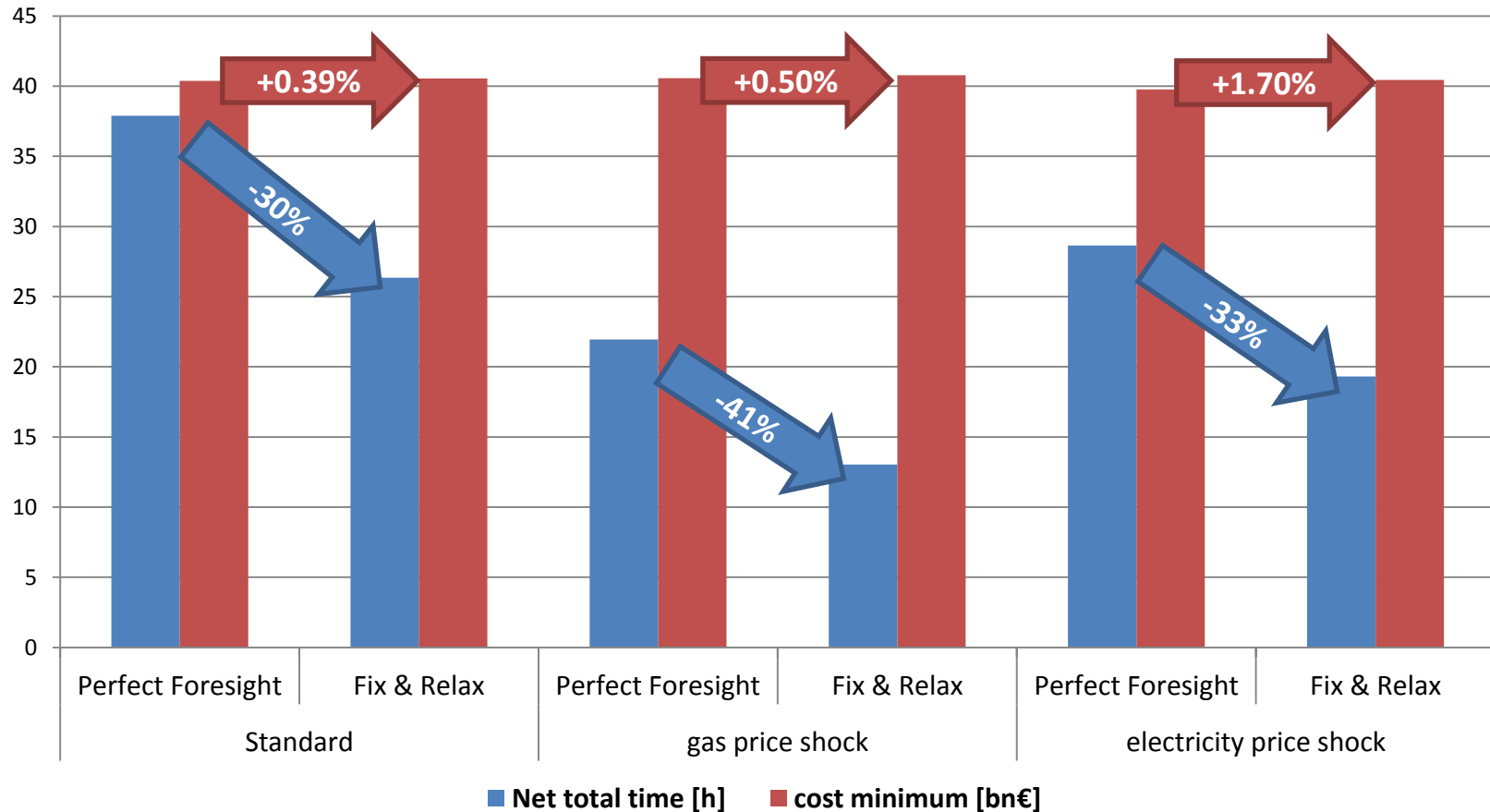
# Temporal decomposition using rolling horizon planning

- Fix-and-relax technique, introduced by Dillenberger et al. (1994)



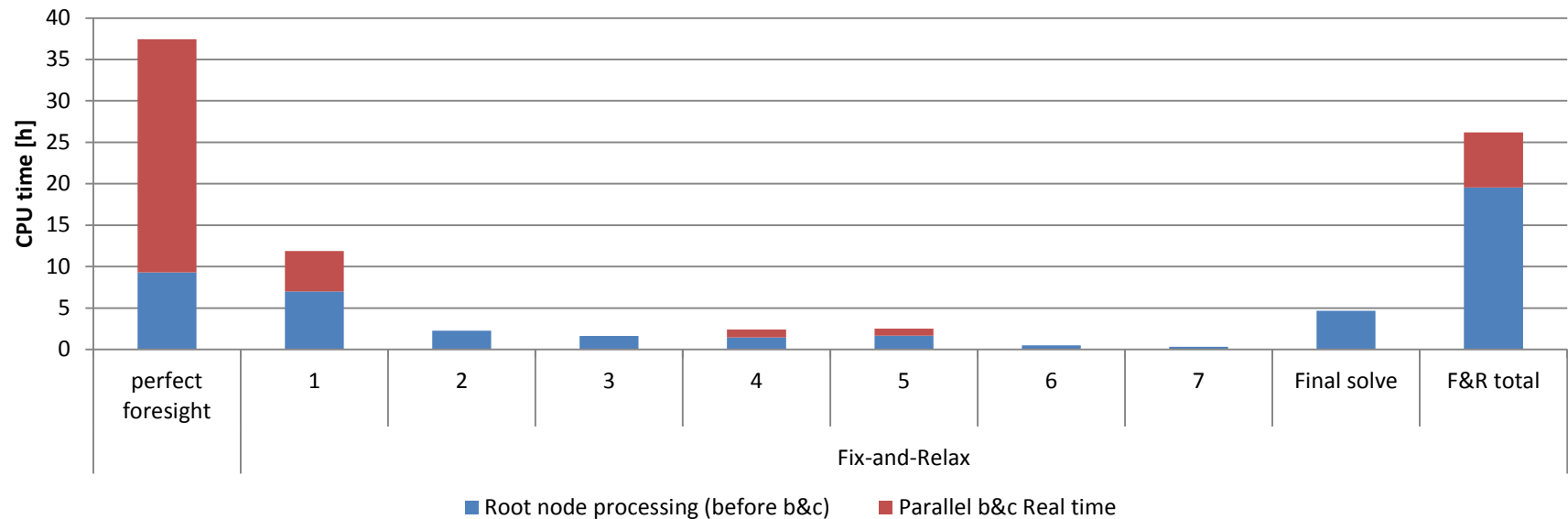
- overlap to mitigate end-of-horizon effects
- solution not guaranteed to be optimal (unless final solve is performed)

# Results: analysis of result quality and runtimes of Fix & Relax without final solve



- computational time is reduced by 30-40%
- minor decrease of solution quality
- approach seems to cope well with price shocks

# Results: effect of final solve (Preliminary)



- final solve with warm start is surprisingly fast (2-5 h), requires no new branching => solution already within optimality gap
- solution differs from perfect foresight solution (on average +0.66%)
- possible reasons for cost difference:
  - optimality gap too high (5%) => no new branching
  - opportunistic parallel mode => non-deterministic result
- Root node processing takes most time
- Taking this into consideration, a better decomposition could probably be constructed (e.g. [1]; [2-4]; [5-7]; [Final])

# Critical reflection

- compared to perfect foresight, the model setup is more complex
- without final solve, result may be suboptimal
- with final solve, computational improvement is not guaranteed
- more tests needed to evaluate the benefits of this approach in energy system modeling
  - disable opportunistic parallel mode: yields deterministic results
  - decrease optimality gap
  - different decomposition periods & overlaps
  - more scenarios
  - different model sizes

# Conclusions and outlook

## ■ Conclusions

- methods to reduce the computational effort, such as myopic approaches, gain a vast improvement in solution times over standard perfect foresight, at the cost of a degradation of solution quality
- Fix-and-relax method gains a smaller improvement in solution times, but
  - enables model to consider future development
  - allows setting global objectives, e.g. emission targets
  - prevents lock-in effects
- When warm start is used for a final solve, the solution should be globally optimal, while there still could be an improvement in computational times

## ■ Outlook

- Implement myopic approach for this model as comparison
- compare solutions qualitatively
- further tests with different parameters

# Thank you very much for your attention

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# References

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